

# Introduction to mathematical analysis 1

## Course Syllabus Spring Term 2014 — SNU

<b>Course Title</b>	Introduction to mathematical analysis 1 (in English)
<b>Course number</b>	3341.201
<b>Instructor</b>	Gerald Trutnau
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<b>Course homepage</b>	<a href="http://www.math.snu.ac.kr/~trutnau/teachingA12014.html">http://www.math.snu.ac.kr/~trutnau/teachingA12014.html</a>
<b>Course Objective</b>	The course gives an introduction to infinitesimal calculus.
<b>References</b>	Main textbook: J.E. Marsden & M.J. Hoffman, <i>Elementary Calculus Analysis</i> , 2nd edition, Freeman Other references: M.H. Protter & C.B. Murray, <i>A First Course in Real Analysis</i> , Springer, 2nd edition, 1991; T.M. Apostol, <i>Mathematical Analysis</i> , 2nd edition, Addison-Wesley, 1974; W. Rudin, <i>Principles of Mathematical Analysis</i> , 3rd edition, McGraw-Hill, 1976
<b>Description</b>	The topology of the real line and the Euclidean space, limits, series, and infinitesimal properties of functions are treated.
<b>Tentative content</b>	sets, cardinality, ordered fields and real numbers; axiom of completeness; limits of sequences; completeness of the real numbers; Euclidean space; open sets, closed sets; boundary of a set; series; convergence tests for series; compactness; connected sets; continuous functions; maximum-minimum theorem; intermediate value theorem; uniform continuity; monotone functions; differentiability in one variable; mean value property; Taylor expansion in one variable; Riemann integral, fundamental theorem of calculus; functions of bounded variation; Riemann-Stieltjes integral.
<b>Teaching Method</b>	Lecture, exercises.
<b>Evaluation</b>	Midterm (8th week, 75 minutes, 30 % of final score); Final exam (15th week, 75 minutes, 30 % of final score); Assignment sheets (30 % of final score); Attendance (10 % of final score). Students must solve exercises regularly, and will be given assignment sheets mostly every week.